## 7. Homework Due 11/24/08 before class

- 7.2 (page 471) Solve the recurrence relations below using the theorem we had in class: First set up the characteristic equation, then find its roots, and then use the initial conditions to assign values to the  $\alpha$ -constants.
  - (a) (3 points) 4 a
  - (b) (3 points) 4 d
- 8.1 (page 527)
  - (a) (3 points) 2 a,b,c
  - (b) (4 points) 6 a (Either prove a property for all  $x, y, z \in \mathbb{R}$  or give a counterexample.)
- 8.5 Congruence classes (2 points)

What are the congruence classes  $[0]_3$ ,  $[1]_3$ ,  $[2]_3$ ,  $[3]_3$ ? Please describe each of these congruence classes as sets using "..." notation by listing at least 3 positive and at least 3 negative numbers.

- 9.2 (page 609)
  - (a) (1 point) Consider the graph given in exercise 23. Find: the number of vertices, the number of edges, the degree of each vertex. Verify that the handshaking lemma (Theorem 1) holds for this graph.
  - (b) (1 point) Consider the graph given in exercise 8. Find: the number of vertices, the number of edges, the in-degree and out-degree of each vertex. Verify that the handshaking lemma (Theorem 3) holds for this graph.
- 9.3 (page 618)
  - (a) (1 point) Consider the graph given in exercise 2. Represent this graph using adjacency lists.
  - (b) (1 point) Consider the graph given in exercise 2. Represent this graph using an adjacency matrix.
  - (c) (1 point) 12.

Extra credit: The question below is for extra credit. Any points earned here may be applied towards any other homework (in order to increase the homework score to  $\geq 60\%$ ).

- 8.5 (page 562)
  - (a) (4 points) 16. First write the relation in set notation:  $R = \{...\}$ , then verify all the properties of an equivalence realtion.