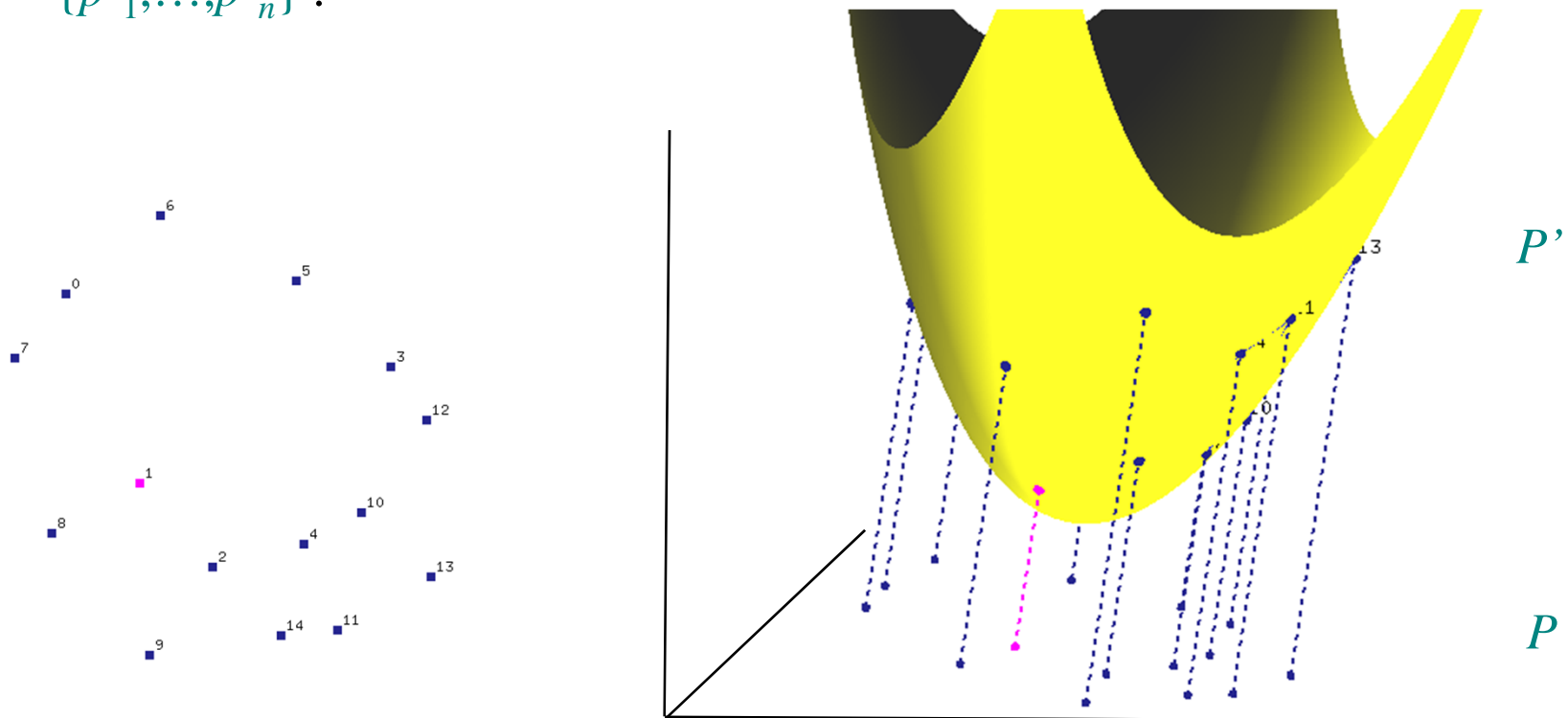


DT and 3D CH

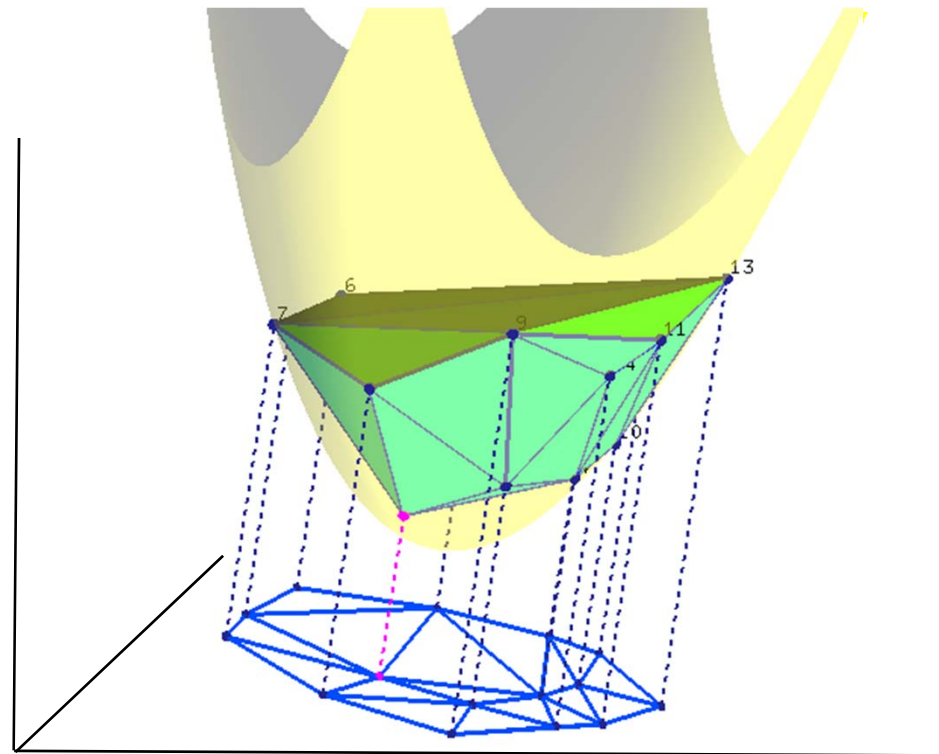
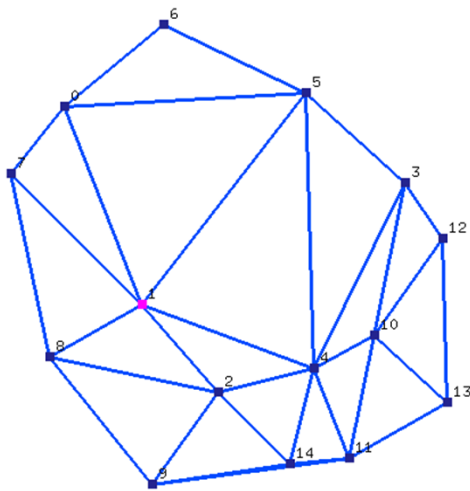
Theorem: Let $P = \{p_1, \dots, p_n\}$ with $p_i = (a_i, b_i, 0)$. Let $p'_i = (a_i, b_i, a_i^2 + b_i^2)$ be the vertical projection of each point p_i onto the paraboloid $z = x^2 + y^2$. Then $DT(P)$ is the orthogonal projection onto the plane $z=0$ of the lower convex hull of $P' = \{p'_1, \dots, p'_n\}$.



Pictures generated with Hull2VD tool available at <http://www.cs.mtu.edu/~shene/NSF-2/DM2-BETA>

DT and 3D CH

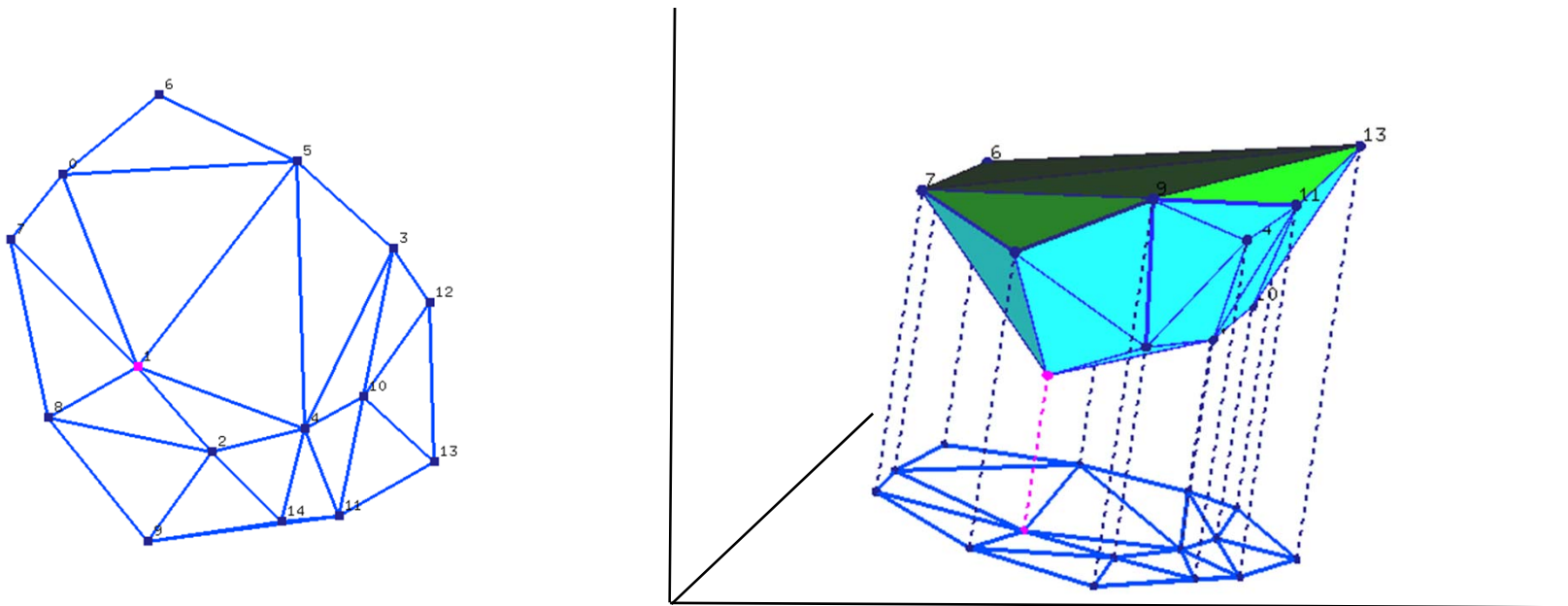
Theorem: Let $P=\{p_1,\dots,p_n\}$ with $p_i=(a_i, b_i, 0)$. Let $p'_i=(a_i, b_i, a_i^2 + b_i^2)$ be the vertical projection of each point p_i onto the paraboloid $z=x^2 + y^2$. Then $DT(P)$ is the orthogonal projection onto the plane $z=0$ of the lower convex hull of $P'=\{p'_1,\dots,p'_n\}$.



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p'_i, p'_j, p'_k form a (triangular) face of $LCH(P')$.



property of unit paraboloid

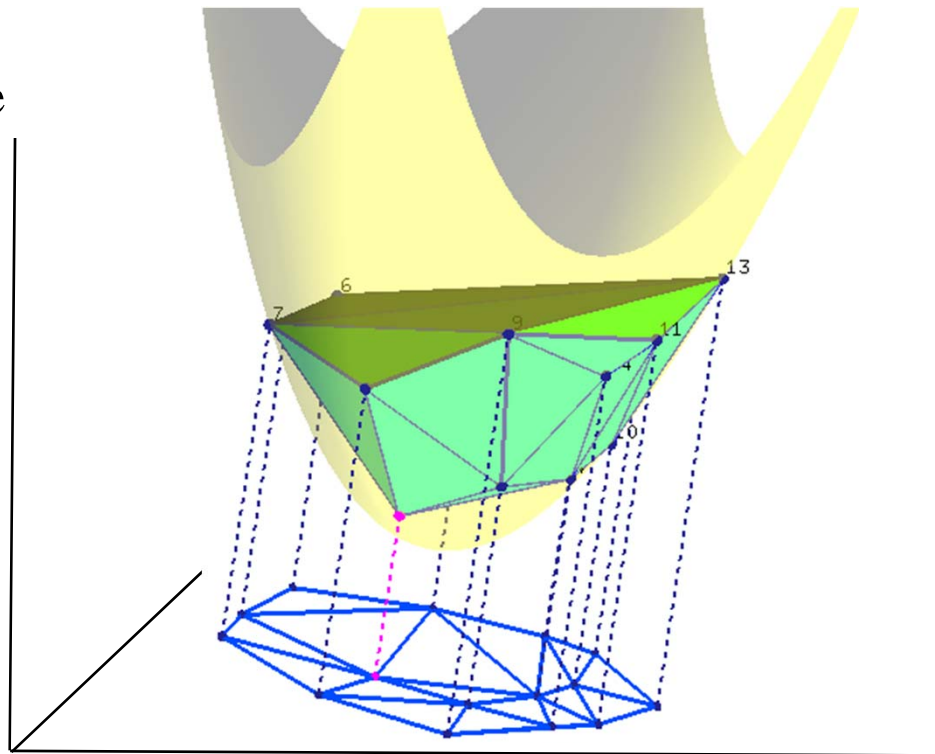
The plane through p'_i, p'_j, p'_k leaves all remaining points of P' above it.



The circle through p_i, p_j, p_k leaves all remaining points of P in its exterior.



p_i, p_j, p_k form a triangle of $DT(P)$.



Slide adapted from slides by Vera Sacristan.